## Year 13 Maths - Pure and Statistics Teacher

| Topic |  | Ref | Ex |
| :---: | :---: | :---: | :---: |
| Binomial expansion | Expanding (1+x) ${ }^{n}$ <br> - Expand $(1+x)^{n}$ for any rational constant $n$ <br> - Determine the range of values for which it is valid | P4.1 | P4A |
|  | Expanding $(\mathbf{a}+\mathrm{bx})^{\mathrm{n}}$ <br> - Expand $(a+b x)^{n}$ for any rational constant $n$ <br> - Determine the range of values for which it is valid | P4.1 | P4B |
|  | Using Partial Fractions <br> - Use and apply models that involve quadratic functions | P4.1 | P4C |
| Trigonometric Functions | Secant, cosecant and cotangent <br> - Understand the definition of secant, cosecant and cotangent and their relationship to cosine, sine and tangent. <br> - Understand the graphs of sec, cosec and cot and their domain and ranges. | P5.4 | $\begin{aligned} & \hline \text { P6A } \\ & \text { P6B } \end{aligned}$ |
|  | Using sec, cosec and cot <br> - Simplify expressions involving sec, cosec and cot. <br> - Prove identities involving sec, cosec and cot. <br> - Solve equations involving sec, cosec and cot. | $\begin{aligned} & \hline \text { P5.4 } \\ & \text { P5.8 } \end{aligned}$ | P6C |
|  | Trigonometric Identities <br> - Prove and use $\sec ^{2} x \equiv 1+\tan ^{2} x$ and $\operatorname{cosec}^{2} x \equiv 1+$ $\cot ^{2} x$. | P5.5 | P6D |
|  | Inverse Trigonometric Functions <br> - Understand and use inverse trig functions arcsin, arccos and arctan and their domain and ranges. <br> - Be able to sketch their graphs. | P5.4 | P6E |
| Parametric Equations | Parametric Equations <br> - Convert parametric equations into Cartesian form by substitution. <br> - Convert parametric equations into Cartesian form using trigonometric identities. | P3.3 | $\begin{aligned} & \text { P8A } \\ & \text { P8B } \end{aligned}$ |
|  | Curve Sketching <br> - Be able to sketch curves defined parametrically. | P3.3 | P8C |
|  | Coordinate Geometry <br> - Solve coordinate geometry problems involving parametric equations. | P3.3 | P8D |
|  | Modelling <br> - Use parametric equations to model real life situations. | P3.4 | P8E |
| Assessment 1 |  |  |  |

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| Further Trigonometry | Addition Formulae <br> - Prove and use the addition formulae for $\sin (\mathrm{A}+\mathrm{B})$, $\cos (A+B)$ and $\tan (A+B)$. <br> - Use the addition formulae to find exact values of trigonometric functions of different angles. | P5.6 | $\begin{aligned} & \hline \text { P7A } \\ & \text { P7B } \end{aligned}$ |
|  | Double angle Formulae <br> - Understand and use the double angle formula sin2A, $\cos 2 \mathrm{~A}$ and tan2A. | P5.6 | P7C |
|  | Solving Trigonometric Equations <br> - Use the addition and double angle formulae to help solve trigonometric equations | P5.6 | P7D |
|  | ( $R, \alpha$ ) method <br> - Write expressions of the form acos $\alpha \pm b s i n \alpha$ in the forms $R \cos (\Theta \pm \alpha)$ or $R \sin (\Theta \pm \alpha)$. <br> - Use this form to solve equations and find maximum and minimum values of such functions. | P5.6 | P7E |
|  | Proving Trigonometric Identities <br> - Use known trigonometric identities to prove other trigonometric identities. | P5.8 | P7F |
|  | Modelling with Trigonometric Functions <br> - Use trigonometric functions to model real-life situations, | P5.9 | P7G |
| Sequences and Series | Arithmetic Sequences <br> - Find the nth term of an arithmetic sequence. <br> - Understand the difference between a sequence and a series. <br> - Prove and use the formula for the sum of the first $n$ terms of an arithmetic series. | P4.4 | $\begin{aligned} & \text { P3A } \\ & \text { P3B } \end{aligned}$ |
|  | Geometric Sequences <br> - Find the nth term of a geometric sequence. <br> - Prove and use the formula for the sum of a finite geometric series. <br> - Prove and use the formula for the sum to infinity of a convergent geometric series. | P4.5 | $\begin{aligned} & \text { P3C } \\ & \text { P3D } \\ & \text { P3E } \end{aligned}$ |
|  | Sigma notation <br> - Use and understand sigma $\sum$ notation to describe series | P4.3 | P3F |
|  | Recurrence Relations <br> - Generate sequences from recurrence relations of the form $u_{n+1}=F\left(u_{n}\right)$. <br> - Be able to recognise increasing, decreasing and periodic sequences written as a recurrence relation. | P4.2 | $\begin{aligned} & \text { P3G } \\ & \text { P3H } \end{aligned}$ |
|  | Modelling with Series <br> - Model real-life situations with sequences and series. | P4.6 | P3I |
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| Assessment 2 |  |  |  |

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| :---: | :---: | :---: | :---: |
| Functions | The modulus function \|| <br> - Understand and use the modulus function $y=\|f(x)\|$. <br> - Sketch graphs of modulus functions of the form $y=\|f(x)\|$ or $y=f(\|x\|)$. <br> - Use graphs to solve equations and inequalities involving the modulus function. | P2.7 | $\begin{aligned} & \text { P2A } \\ & \text { P2E } \end{aligned}$ |
|  | Function definition <br> - Understand mappings and functions <br> - Use domain and range to define a function. | P2.8 | P2B |
|  | Composite Functions <br> - Combine two or more functions to make a composite function. <br> - Find the domain and range for composite functions. | P2.8 | P2C |
|  | Inverse Functions <br> - Know how to find the inverse of a function both algebraically and graphically. <br> - State the domain and range for an inverse function. | P2.8 | P2D |
|  | Combining Transformations <br> - Apply a combination of two (or more) transformations to the same curve. <br> - Transform the modulus function \||. | P2.9 | $\begin{aligned} & \hline \text { P2F } \\ & \text { P2G } \end{aligned}$ |
| Numerical Methods | Locating Roots <br> - Locate roots of $f(x)=0$ by considering change of sign. <br> - Understand how change of sign methods can fail. | P9. 1 | P10A |
|  | Iteration <br> - Use iteration to find an approximation to the root of the equation $f(x)=0$. <br> - Rearrange an equation into an iterative formula. <br> - Understand convergence in geometrical terms by drawing cobweb and staircase diagrams. | P9.2 | P10B |
|  | Newton-Raphson <br> - Use the Newton-Raphson method to find an approximation to the root of the equation $f(x)=0$. <br> - Understand geometrically what the method is doing and how this method can fail. | P9.3 | P10C |
|  | Applications to modelling <br> - Use numerical methods to solve problems in context.. | P9.5 | P10D |
| Regression and Correlation | Exponential Models <br> - Understand exponential models in bivariate data. <br> - Use a change of variable to estimate coefficients in an exponential model $y=a x^{n}$ or $y=k b^{\mathrm{x}}$. | A2.2 | A1A |
|  | Product Moment Correlation Coefficient <br> - Understand and calculate the PMCC. | $\begin{aligned} & \text { A2.2 } \\ & \text { A5.1 } \end{aligned}$ | A1B |
|  | Hypothesis Test <br> - Carry out a hypothesis test for zero correlation. | A5. 1 | A1C |
| Assessment 3 |  |  |  |

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| Topic |  | Ref | Ex |
| :---: | :---: | :---: | :---: |
| Conditional Probability | Set Notation <br> - Understand set notation in probability. | A3. 1 | A2A |
|  | Conditional Probability <br> - Understand what is meant by conditional probability. <br> - Solve conditional probability problems using two way tables and Venn diagrams. | A3. 2 | $\begin{aligned} & \text { A2B } \\ & \text { A2C } \end{aligned}$ |
|  | Probability formulae <br> - Understand and use the conditional probability formulae to solve problems. | A3.2 | A2D |
|  | Tree diagrams <br> - Solve conditional probability using tree diagrams. | A3.2 | A2E |
| Normal Distribution | Definition <br> - Understand the normal distribution and the characteristics of a normal distribution curve. | A4.2 | A3A |
|  | Finding probabilities for given normal distributions <br> - Find probabilities for a normal distribution using the normal cumulative distribution function on a calculator. | A4.2 | A3B |
|  | The Inverse Normal Distribution Function <br> - Calculate a value for a given probability for a normal distribution using the inverse normal distribution function on a calculator. i.e. find $b$ such that $P(X<b)=p$. | A4.2 | A3C |
|  | The Standard Normal Distribution <br> - Know that the standard normal distribution has mean 0 and standard deviation 1. <br> - Standardise normally distributed random variables by coding the data to model the standard normal distribution. | A4.2 | A3D |
|  | Finding the mean or standard deviation <br> - Find unknown means and/or standard deviations for a normal distribution | A4.2 | A3E |
|  | Approximating a binomial distribution <br> - Approximate a binomial distribution using a normal distribution | A4.2 | A3F |
|  | Hypothesis Testing <br> - Carry out a hypothesis test for the mean of a normal distribution. | $\begin{aligned} & \text { A4.2 } \\ & \text { A4.3 } \end{aligned}$ | A3G |
| Assessment 4 |  |  |  |

